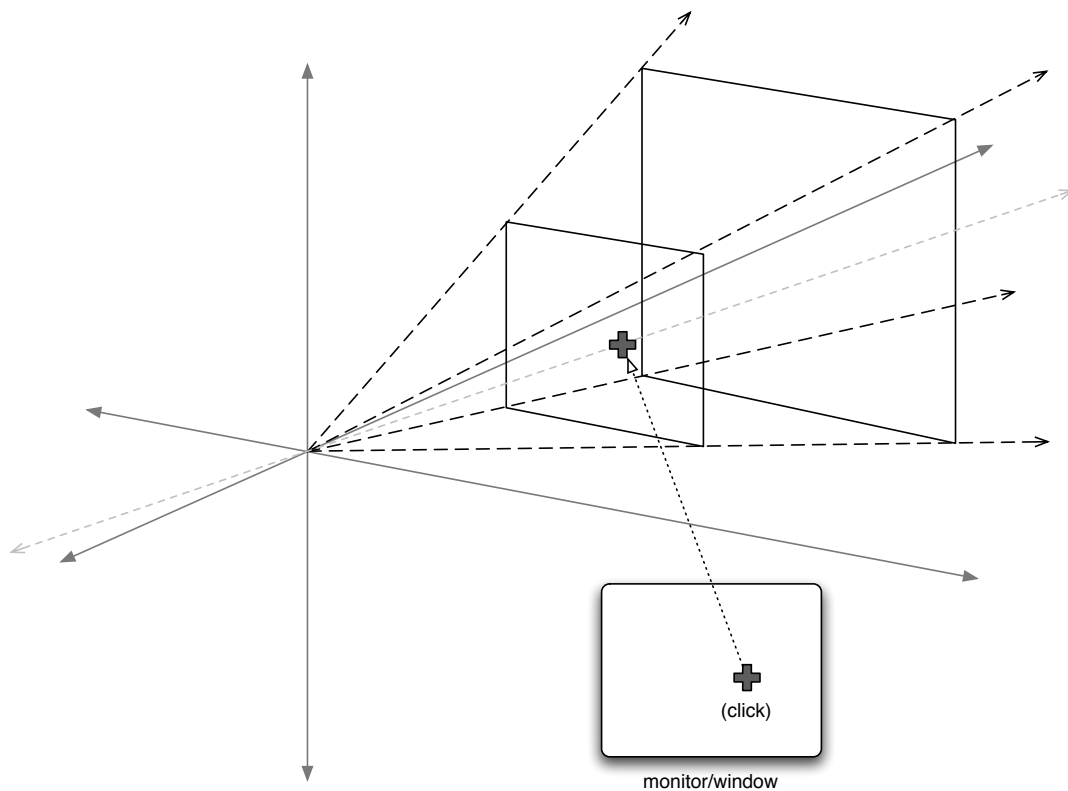


# “Unproject” Explained

- Now that we’ve broken down the math for projections, we can explain the *unproject* program that was distributed earlier
- The core issue is: given a mouse event (click, move, drag), how do we translate that event’s mouse coordinates into our 3D world?
- With our projection analysis, we can phrase this question more specifically now: given a set of coordinates on the 2D viewport, what are the corresponding coordinates in 3D space?



# Observations

- First off, note from the diagram that a 2D mouse click does not translate into a point, but into a ray — after all, we are adding an entire dimension
- So, we can't really go from a mouse point to a single 3D point; the best we can do is identify the *line* along which the mouse point's 3D equivalent must lie
- OpenGL's *gluUnProject()* function will help give you that line — but what you do with it after that is up to you

## What *gluUnProject()* Does

- *gluUnProject()* inverts the projection calculation; instead of going from a world point to a screen point, which is what projection does...

*point in "world" ⇒ model-view ⇒ projection ⇒ viewport ⇒ point on "screen"*

- ...we take the screen point and go the other way:

*point on "screen" ⇒ viewport<sup>-1</sup> ⇒ projection<sup>-1</sup> ⇒ model-view<sup>-1</sup> ⇒ point in "world"*

- With this in mind, the signature of the *gluUnProject()* function should now be pretty self-explanatory:

```
GLint gluUnProject (GLdouble winX, GLdouble winY, GLdouble winZ, const GLdouble *model, const GLdouble *proj, const GLint *view, GLdouble* objX, GLdouble* objY, GLdouble* objZ);
```

# *gluUnProject()* Double-Take

- Given what we have said so far, some parts of *gluUnProject()*'s signature may have you wondering:
  - ◆ Why does the screen (“win”) point have a z-coordinate?
  - ◆ Since the result of the function is a 3D point, the output arguments are passed as pointers; so what is that integer that the function returns directly?
- We answer the second question first: not all matrices are invertible — thus, *gluUnProject()* might not succeed, in which case it will return *GL\_FALSE*, with successful inversion returning *GL\_TRUE*
- Now back to that z-coordinate on the “screen...”
  
- Recall that, during the final drawing to the viewport, we happen to not *need* the z coordinate; however, as you have seen from the matrices, we *do* get a value for the z axis...so, even though we don't use z in the final drawing, it can (and does) get calculated
- It turns out that, the way OpenGL calculates things,  $winZ == 0.0$  (the screen) corresponds to  $objZ == -N$  (the near plane), and  $winZ == 1.0$  corresponds to  $objZ == -F$  (the far plane)
- Since two points determine a line, we actually need to call *gluUnProject()* twice: once with  $winZ == 0.0$ , then again with  $winZ == 1.0$  — this will give us the world points that correspond to the mouse click on the near and far planes, respectively

# Typical *gluUnProject()* Sequence

Now that we know what *gluUnProject()* specifically does, we can sketch out its general use, given some screen coordinate  $(mx, my)$ :

- Invert the  $my$  coordinate (since the screen  $y$ -axis goes in the opposite direction as the 3D  $y$ -axis)
- Grab the current values for the three matrices: model-view, projection, and viewport
- Call *gluUnProject()* twice, once for  $(mx, my, 0.0)$  and again for  $(mx, my, 1.0)$

- Once you have the two points, what you do next now depends on how you're representing the objects in your model
- Generally, you would test to see which objects intersect that line, then choose one of them as the "hit" object, and act accordingly
- Bilinear interpolation is useful here: since you know two endpoints, you can represent their line in terms of a single argument  $u$ , where  $u = 0$  corresponds to the near point, and  $u = 1$  corresponds to the far point

$$L(u) = \text{nearPoint} + u(\text{farPoint} - \text{nearPoint})$$

- ◆ In the sample program, we're testing against a fixed plane with a known  $z$ , so we solve for  $u$  using bilinear interpolation using the  $z$  coordinates, then use  $u$  to subsequently calculate  $x$  and  $y$ ; the resulting  $(x, y, z)$  is the point on the plane that was "clicked on" by the mouse